### SIDDHARTH INSTITUTE OF ENGINEERING & TECHNOLOGY :: PUTTUR Siddarth Nagar, Narayanavanam Road -517583

#### **QUESTION BANK(OBJECTIVE)**

Course & Branch: B.Tech - Common to CSE, CSM, CIC, CSIT Year & Sem: III-B. Tech & II-Sem Subject with Code: 20CS0523 & Design And Analysis of Algorithm Regulation: R20

#### 1. There are \_\_\_\_\_steps to solve the problem [ ] B. Four C. Six A. Seven D.Two 2. \_\_\_\_\_is the first step in solving the problem 1 ſ A. Understanding the Problem B. Identify the Problem D. None of these C. Evaluate the Solution 3. \_is the last step in solving the problem [ ] A. Understanding the Problem B. Identify the Problem C. Evaluate the Solution D. None of these 4. Following is true for understanding of a problem 1 ſ B. Understanding the subject on A. Knowing the knowledgebase which the problem is based C. Communication with the client D. All of the above 5. The six-step solution for the problem can be applied to 1 ſ I. Problems with Algorithmic Solution II. Problem with Heuristic Solution A. Only I B. Only II C.Both I and II D. Neither I nor II 6. \_\_\_\_\_ solution requires reasoning built on knowledge and experience ſ ] A. Algorithmic Solution **B.** Heuristic Solution C. Random D. None of Solution these 7. While solving the problem with computer the most difficult step is \_\_\_\_\_ ] ſ A. describing the problem B. finding out the cost of the software C. writing the computer instructions D. testing the solution 8. The correctness and appropriateness of \_\_\_\_\_\_\_solution can be checked very easily. 1 ſ A. algorithmic solution B. heuristic solution C. random solution D. none of these 9. The branch of computer that deals with heuristic types of problem is called \_\_\_\_ ] ſ B. real time software A. system software C. artificial intelligence D. none of these 10. In analysis of algorithm, approximate relationship between the size of the job and the amount ſ ] of work required to do is expressed by using \_ A.Central tendency B. Differential equation C. Order of execution D. Order of magnitude 11. The function f(n)=O(g(n)) if there exists positive constant C and $n_0$ such that ſ ] A. $f(n) \neq c * g(n)$ for all $n, n \ge no$ B. f(n) > c \* g(n) for all $n, n \ge no$ C. f(n) = c \* g(n) for all $n, n \ge no$ D. $f(n) \le c * g(n)$ for all $n, n \ge no$ 12. In function $f(n) = \Omega(g(n))$ , the function g is ſ 1

UNIT-1

Co	ourse Code: 20CS0523			<b>R20</b>
	A. Upper bound	B. Lower bound		
	C. Unbounded function	D. Cannot be determ	ine	
13.	The Process of exectig a correct program a corr and space is called	rect program on data sets a	and measuring the time	[
	A. Profiling	B. Debugging	C. Designing	D. Identifying
4.	In which of the following testing method we co consumption of time and space	ollect actual statistics abou	t the algorithm	[
	A. Priori testing	B. Normal testing	C. Posteriori testing	D. Debugging
5.	Following is the relationship between the comp A. $O(\log n) < O(n2) < O(n \log n) < O(2n)$	outing times O(log n), O(n B. O(2n ) <o(log n)<<="" td=""><td></td><td><sup>2</sup>) [</td></o(log>		<sup>2</sup> ) [
	$B.O(\log n) < O(n \log n) < O(n2) < O(2n)$	D. O(n2) <o(n log="" n<="" td=""><td></td><td></td></o(n>		
6.	Binary search In successful searches Best case	e is	-	[
	A.O (1)	B. Θ (n)	C. $\Theta$ (n logn)	D. $\Theta(\log n)$
7.	In unsuccessful searches binary search worst is			[
	A. $\Theta(\log n)$	B. Θ(n)	C. $\Theta(\log n)$	D. o(n/2)
8.	Binary search In successful searches average of	case is		[
	A. $\Theta(\log n)$	B. Θ(n)	C. $\Theta(nlogn)$	D. $\Theta(\log n)$
9.	In Strassen's matrix multiplication c11 is			[
	A. P+S-T+V	B. P+S	C. T+V	D. P+S-T
0.	A Recursive algorithm is a function that is def	ined in terms of		[
	A. Itself	B. indirect	C. direct	D. sort
1.	The function $f(n) = \Omega(g(n))$ if there exist positive	ve constants c and n0 such	that	[
	A. $f(n) \ge c^*g(n)$	B. $f(n) \leq c^*g(n)$	C. $f(n)=c*g(n)$	D. $f(n)/c^*g(n)$
2.	is the expression of an algorithm in a prog	gramming language		[
	A. Performance	B. effectiveness	C. program	D. validation
3.	is a finite set of instructions that acc	omplishes a particular task	κ.	[
	A.Input	B. Output	C. Algorithm	D. Fineness
4.	The word algorithm comes from the name of the	ne author		[
	A. Bilgates	B. Abu jafar Moham	med ibn musa al khowa	arizmi
	C. Darwin	D. Bubbage		
5.	The best case complexity of binary search in un	nsuccessful search		[
	A. O (N)	B. $\theta(N)$	C. θ(N+1)	D. O(N+1)
6	In method the worst, aver	age, best cases are same.		[
	A. heap sort	B. merge sort	C. quick sort	D. insertion
7.	The recurrence relation of maxmin iswhe	n n=		[
	A. C (n)=1	B. C(n)=3	C. C(n)=2	D. NONE
8.	For analyzing an algorithm, which is better cor	nputing time?		[
	A. O (100 Log N)	B. O (N) (c) O (2N)	C. O (N logN)	D. O (N2).
9.	Consider the usual algorithm for determining we the maximum number of parentheses that will a analyzes: $(()(())(())$			_
	A. 1	B. 2	C.3	D.4
0.	Recursive algorithms are based on			[
	A. Divide and conquer approach	B. Top-down approa	ch	
	C. Bottom-up approach	D. Hierarchical appro		

31.	There are four algorithms A1, A2, A3, A $log(n)$ , $nlog(n)$ , $log(log(n))n/log(n)$ , Wh	<b>e</b> 1		Ľ	J
	A. A1	B. A2	C. A3	D. A4	
52.	Express the formula $(n-1)^*(n-5)$ in term	s of big Oh notation		]	]
	A. O(1)	B. O(log n	C. O(n)	D. O(n2)	_
3.	What is the objective of tower of hanoi	puzzle?		[	]
	A.To move all disks to some other rod b	by following rules			
	B. To divide the disks equally among the	e three rods by following rules			
	C. To move all disks to some other rod	in random order			
	D. To divide the disks equally among the	ree rods in random order			
84.	Which of the following is NOT a rule o	f tower of hanoi puzzle?		[	]
	A. No diskshould be placed over a smal	ller disk			
	B. Disk can only be moved if it is the up	ppermost disk of the stack			
	C. No disk should be placed over a larg	er disk			
	D. Only one disk can be moved at a tim	e			
85.	The time complexity of the solution tow	ver of hanoi problem using recursio	n is	[	]
	A. O(n2)	B. O(2n)	C.O(n log n)	D. O(n)	
86.	Recurrence equation formed for the tow	ver of hanoi problem is given by		[	]
	A. $T(n) = 2T(n-1)+n$	B. $T(n) = 2T(n/2) + c$	C. $T(n) = 2T(n-1)+c$	D. $T(n) = 2T(n/2)+n$	
37.	Minimum number of moves required to	solve a tower of hanoiproblem with	h n disks is	[	]
	A. 2n	B. 2n-1	C.n2	D. n2-1	
38.	Recursve soluton of tower of hanoi prol algorithm?	blem is an example of which f the fo	ollowing the followir	ng [	]
	A. Dynamic programming	B. Backtracking			
	C. Greedy algorithm	D. Divide and conquer			
		· · · · · · · · · · · · · · · · · · ·		Г	1
<b>39.</b>	Tower of hanoi problem can be solved i	iteratively.		L	1
39. 40.	Tower of hanoi problem can be solved in A. True Minimum time required to solve tower a seconds, wii be	B.False	C. A&B ing one move take 2	D.None	]

# **R20**

#### UNIT-2

			UN	IT-2		
	1.	Breadth First Search is eq	uivalent to which of the trave	ersal in the Binary Trees?	[	]
		A. Pre-order Traversal	B. Post-order Traversal	C. Level-order Traversal	D. In-order Traversa	al
	2.	Time Complexity of Brea	ndth First Search is? (V – nun	nber of vertices, E – number of	f edges) [	]
		A. $O(V + E)$	B. O(V)	C. O(E)	D. O(V*E)	
	3.	The Data structure used in	n standard implementation of	Breadth First Search is?	[	]
		A. Stack	B.Queue	C. Linked List	D. Tree	
	4.	The Breadth First Search	traversal of a graph will resu	lt into?	[	]
		A. Linked List	B. Tree	C. Graph with back edges	D. Arrays	
5	5.			vertex and then wants to visit e	every place [	]
		connected to this vertex a A.DFS	nd so on. What algorithm he B. BFS		D. Kruskal's	
		A.Dr5	D. DF3	C.Prim'S Algorthm	Algorithm	
	6.	Which of the following is	not an application of Breadt	h First Search?	[	1
		A. Finding shortest path b		B. Finding bipartitions of a	graph	1
		C. GPS navigation system		D. Path Finding	5F	
	7.	e :	earch of a graph is unique?		[	1
		A. When the graph is a B		B. When the graph is a Link		1
		C. When the graph is a n-	•	D. When the graph is a Tern		
8	3.	<b>U</b>	•	ng queues, what is the maximu	•	]
		-	nt in the queue? (considering			
		A. Can be anything	B.0	C. At most 1	D. Insufficient Information	
	9.	In BFS, how many times	a node is visited?		Information [	1
		A. Once	B. Twice	C. Equivalent to number of	D. Thrice	1
				in degree of the node		
-	10.	Which of the following is	not an application of Depth		[	]
		A.For generating topolog	<b>e</b> 1	B. Peer to Peer Networks		
		C. Detecting cycles in the	e graph	D. For generating Strongly (	Connected Components	s of
	11.	Estate d'actual annul (	7 'dh	a directed graph	h f	1
-	11.	• •		, the sum of the degrees of each $C$		1
	12.	A. ne	B. 2n	C. 2e	D. e^n	1
-	14,	A complete graph can hav A. n^2 spanning trees		C. n^(n+1) spanning trees		1
	13.	1 0	B.n^(n-2) spanning trees		D.n^n spanning tre	205
-	13.	A. trees are not	nt from a tree traversal, becau	C. trees have root	L D. None of these	]
		connected	B. graphs may have loops			
-	14.	The number of edges in a	simple, n-vertex, complete g	graph is	[	]
		A.n*(n-2)	B.n*(n-1)	C.n*(n-1)/2	D.n*(n-1)*(n-2)	
-	15.	Graphs are represented us	sing		[	]
		A.Adjacency tree	B.Adjacency linked list	C.Adjacency graph	D.Adjacency queu	e
-	16.	The spanning tree of com	nected graph with 10 vertices	contains	[	]
		A. 9 edges	B. 11 edges	C. 10 edges	D. 9 vertices	
	17.	If locality is a concern, yo	ou can use to trave	rse the graph.	[	]
		A. Breadth First Search	B. Depth First Search	C. Either BFS or DFS	D. None of these	
-	18.	Which of the following all	lgorithms solves the all-pair s	shortest path problem?	[	]
		A. Floyd's algorithm	B. Prim's algorithm	C. Dijkstra's algorithm	D. Warshall's algorith	ım
	19.	The minimum number of	colors needed to color a grap	oh having n (>3) vertices and 2	edges is	]
		A.1	B.2	C.3	D.4	

20.					
	Which of the following	is useful in traversing a given g	graph by breadth first search	1?	[
	A. set	B. List	C. stacks	D. Queue	
ι.	From a complete graph, spanning tree.	by removing maximum	-	construct a	[
	A. e-n+1	B. n-e+1	C. n+e-1	D. e-n-1	_
•	Minimum number of spa	anning tree in a connected grap	bh is		[
	A.n	B.(n-1)	C.1	D.0	
3.	Find the odd out				[
	A. Prim's Minimal Span C. Floyd-Warshall'sAll	ning Tree Algorithm pair shortest path Algorithm	B. Kruskal's Minimal Spa D. Dijkstra's Minimal Spa		
•	G(V,E) is stored in form	g-time of Dijkstra's single sour of adjacency list and binary h		0	[
	A. O( V 2)	B. $O( V  \log  V )$	C. O( $ E + V  \log  V $ )	D. None of the	se
5.	Maximum degree of any	vertex in a simple graph of ve	ertices n is		L
	A. 2n − 1	B.n	C.O(log n)	D.O(log (log n	))
).	A directed graph isi	f there is a path from each vert	ex to every other vertex in t	he digraph.	[
	A. Weakly connected	B. Strongly Connected	C. Tightly Connected	D. Linearly Co	nnecte
7.	Consider a complete gra	ph G with 4 vertices. The grap	h G has spanning trees	S.	[
	A.15	B.8	C.16	D.13	
8.	The travelling salesman	problem can be solved using _			[
	A.A spanning tree.	B. minimum spanning tree	C. Bellman – Ford algorithm	D. DFS travers	al
	Then, which of the follo	ũ là chí	ige AB is edge with maxim	iiii weigiit.	
	<b>B</b> . If AB is in a minimum	ning tree of G must contain Cl n spanning tree, then its remov			
	B. If AB is in a minimum C. No minimum spannin	n spanning tree, then its removing tree contains AB			
).	<ul><li>B. If AB is in a minimum</li><li>C. No minimum spanning</li><li>G has a unique minimum</li></ul>	n spanning tree, then its removing tree contains AB	val must disconnect G	Γ of the given	[
	<ul><li>B. If AB is in a minimum</li><li>C. No minimum spanning</li><li>G has a unique minimum</li><li>Consider the graph show</li></ul>	n spanning tree, then its removing tree contains AB n spanning tree	val must disconnect G	Γ of the given	[
•	B. If AB is in a minimum C. No minimum spannin G has a unique minimum Consider the graph show graph?	n spanning tree, then its removing tree contains AB n spanning tree on below. Which of the follows	val must disconnect G	Γ of the given	[
•	B. If AB is in a minimum C. No minimum spannin G has a unique minimum Consider the graph show graph?	n spanning tree, then its removing tree contains AB n spanning tree on below. Which of the follows	al must disconnect G ing are the edges in the MST <b>B</b> . (c-a)(a-d)(d-b)(d-e)	-	[
	B. If AB is in a minimum C. No minimum spannin G has a unique minimum Consider the graph show graph? A. (a-c)(c-d)(d-b)(d-b) C. (a-d)(d-c)(d-b)(d-e)	n spanning tree, then its removing tree contains AB a spanning tree with below. Which of the following $26$	val must disconnect G	-	ſ
	B. If AB is in a minimum C. No minimum spannin G has a unique minimum Consider the graph show graph? A. (a-c)(c-d)(d-b)(d-b) C. (a-d)(d-c)(d-b)(d-e) The time complexity of	n spanning tree, then its removing tree contains AB n spanning tree on below. Which of the following the following tree of the follo	al must disconnect G ing are the edges in the MST B. (c-a)(a-d)(d-b)(d-e) D. (c-a)(a-d)(d-c)(d-b)(d-e)	2)	[
•	B. If AB is in a minimum C. No minimum spannin G has a unique minimum Consider the graph show graph? A. (a-c)(c-d)(d-b)(d-b) C. (a-d)(d-c)(d-b)(d-e) The time complexity of A.O(n <sup>2</sup> )	n spanning tree, then its removing tree contains AB n spanning tree on below. Which of the following present the following tree of t	<ul> <li>al must disconnect G</li> <li>ing are the edges in the MST</li> <li>B. (c-a)(a-d)(d-b)(d-e)</li> <li>D. (c-a)(a-d)(d-c)(d-b)(d-e)</li> <li>C.O (log n)</li> </ul>	e) D.O (n log n <sup>2</sup> )	[
•	B. If AB is in a minimum C. No minimum spannin G has a unique minimum Consider the graph show graph? A. (a-c)(c-d)(d-b)(d-b) C. (a-d)(d-c)(d-b)(d-e) The time complexity of A.O(n <sup>2</sup> ) The upper bound on the	n spanning tree, then its removing tree contains AB n spanning tree on below. Which of the following $26$ 20 20 0 0 0 0 0 0 0 0 0	A must disconnect G ing are the edges in the MST B. (c-a)(a-d)(d-b)(d-e) D. (c-a)(a-d)(d-c)(d-b)(d-e) C.O (log n) erministic sorting algorithm	e) D.O (n log n <sup>2</sup> ) is	[
•	B. If AB is in a minimum C. No minimum spannin G has a unique minimum Consider the graph show graph? A. $(a-c)(c-d)(d-b)(d-b)$ C. $(a-d)(d-c)(d-b)(d-e)$ The time complexity of A.O(n <sup>2</sup> ) The upper bound on the A. O (n)	n spanning tree, then its removing tree contains AB n spanning tree on below. Which of the following tree 26 (n) 20 (n) PRIMs algorithm	<ul> <li>al must disconnect G</li> <li>ing are the edges in the MST</li> <li>B. (c-a)(a-d)(d-b)(d-e)</li> <li>D. (c-a)(a-d)(d-c)(d-b)(d-e)</li> <li>C.O (log n)</li> <li>erministic sorting algorithm</li> <li>C. O (1)</li> </ul>	e) D.O (n log n <sup>2</sup> ) is D. O (log n)	[
	B. If AB is in a minimum C. No minimum spannin G has a unique minimum Consider the graph show graph? A. (a-c)(c-d)(d-b)(d-b) C. (a-d)(d-c)(d-b)(d-e) The time complexity of A.O(n <sup>2</sup> ) The upper bound on the A. O (n) The worst case time com	n spanning tree, then its removing tree contains AB n spanning tree on below. Which of the following $26$ 20 20 20 0 20 0 0 0 0 0 0 0 0 0	<ul> <li>al must disconnect G</li> <li>ing are the edges in the MST</li> <li>B. (c-a)(a-d)(d-b)(d-e)</li> <li>D. (c-a)(a-d)(d-c)(d-b)(d-e)</li> <li>C.O (log n)</li> <li>erministic sorting algorithm</li> <li>C. O (1)</li> <li>c dynamic knapsack algorith</li> </ul>	<ul> <li>D.O (n log n<sup>2</sup>)</li> <li>is</li> <li>D. O (log n)</li> <li>hm is</li> </ul>	[
	B. If AB is in a minimum C. No minimum spannin G has a unique minimum Consider the graph show graph? A. $(a-c)(c-d)(d-b)(d-b)$ C. $(a-d)(d-c)(d-b)(d-e)$ The time complexity of A.O(n <sup>2</sup> ) The upper bound on the A. O (n) The worst case time com A.O(n log n	n spanning tree, then its removing tree contains AB n spanning tree on below. Which of the following 26 26 20 20 20 20 20 20 20 20	<ul> <li>al must disconnect G</li> <li>ing are the edges in the MST</li> <li>B. (c-a)(a-d)(d-b)(d-e)</li> <li>D. (c-a)(a-d)(d-c)(d-b)(d-e)</li> <li>C.O (log n)</li> <li>erministic sorting algorithm</li> <li>C. O (1)</li> </ul>	e) D.O (n log n <sup>2</sup> ) is D. O (log n)	[ [
L. 2. 3.	B. If AB is in a minimum C. No minimum spannin G has a unique minimum Consider the graph show graph? A. (a-c)(c-d)(d-b)(d-b) C. (a-d)(d-c)(d-b)(d-e) The time complexity of A.O(n $^2$ ) The upper bound on the A. O(n) The worst case time com A.O(n log n Worst case efficiency of	n spanning tree, then its removing tree contains AB in spanning tree in below. Which of the following $26$ 20 20 0 20 0 0 0 0 0 0 0 0 0	<ul> <li>al must disconnect G</li> <li>B. (c-a)(a-d)(d-b)(d-e)</li> <li>D. (c-a)(a-d)(d-c)(d-b)(d-e)</li> <li>C.O (log n)</li> <li>erministic sorting algorithm</li> <li>C. O (1)</li> <li>c dynamic knapsack algorith</li> <li>C.O(n2)</li> </ul>	<ul> <li>D.O (n log n<sup>2</sup>)</li> <li>is</li> <li>D. O (log n)</li> <li>hm is</li> <li>D.O(n)</li> </ul>	[
1. 2. 3.	B. If AB is in a minimum C. No minimum spannin G has a unique minimum Consider the graph show graph? A. (a-c)(c-d)(d-b)(d-b) C. (a-d)(d-c)(d-b)(d-e) The time complexity of A.O(n <sup>2</sup> ) The upper bound on the A. O (n) The worst case time com A.O(n log n Worst case efficiency of A. log2 n + 1	n spanning tree, then its removing tree contains AB n spanning tree on below. Which of the following 26 20 20 20 20 20 20 3 PRIMs algorithm B.O(n ) time complexity of the nondet B. O (n log n) mplexity of the nondeterministing B.O( log n) binary search is B.n	<ul> <li>val must disconnect G</li> <li>ing are the edges in the MST</li> <li>B. (c-a)(a-d)(d-b)(d-e)</li> <li>D. (c-a)(a-d)(d-c)(d-b)(d-e)</li> <li>C.O (log n)</li> <li>erministic sorting algorithm</li> <li>C. O (1)</li> <li>c dynamic knapsack algorith</li> <li>C.O(n2)</li> <li>C.n<sup>2</sup></li> </ul>	<ul> <li>D.O (n log n<sup>2</sup>)</li> <li>is</li> <li>D. O (log n)</li> <li>hm is</li> </ul>	[ [ [
0. 1. 2. 3. 4.	B. If AB is in a minimum C. No minimum spannin G has a unique minimum Consider the graph show graph? A. (a-c)(c-d)(d-b)(d-b) C. (a-d)(d-c)(d-b)(d-e) The time complexity of A.O(n <sup>2</sup> ) The upper bound on the A. O (n) The worst case time com A.O(n log n Worst case efficiency of A. log2 n + 1	n spanning tree, then its removing tree contains AB in spanning tree in below. Which of the following tree is a spanning tree	<ul> <li>val must disconnect G</li> <li>ing are the edges in the MST</li> <li>B. (c-a)(a-d)(d-b)(d-e)</li> <li>D. (c-a)(a-d)(d-c)(d-b)(d-e)</li> <li>C.O (log n)</li> <li>erministic sorting algorithm</li> <li>C. O (1)</li> <li>c dynamic knapsack algorith</li> <li>C.O(n2)</li> <li>C.n<sup>2</sup></li> </ul>	<ul> <li>D.O (n log n<sup>2</sup>)</li> <li>is</li> <li>D. O (log n)</li> <li>hm is</li> <li>D.O(n)</li> </ul>	[ [

The worst case time cor	nplexity of Merge sort is			[	]
A.o(n log n)	B.o(nlogn/2)	C.nlogn	D.log(n)		
Merge sort method wor	st case is			[	]
A. $n*log(n)$	$B.O(\log n)$	C. O (1)	D. O (log n)		
Binary Tree method we	orst case is			[	]
A. O( log n)	B. $n*log(n)$	C. O (1)	D. O (log n)		
The time complexity for	r creating a tree is			[	]
A. O( log n)	B. $n*log(n)$	C. O (log n)	D. O (1)		
The Worst case for crea	ting a tree is			[	]
A.O(n log n)	B.O(h)	$C.O(n^2)$	D.O(n)		
	A.o(n log n) Merge sort method wor A. n*log(n) Binary Tree method wo A. O( log n) The time complexity fo A. O( log n) The Worst case for creat	A.o(n log n)B.o(nlogn/2)Merge sort method worst case isA. n*log(n)Binary Tree method worst case isA. O( log n)B. n*log(n)The time complexity for creating a tree isA. O( log n)B. n*log(n)The time complexity for creating a tree isA. O( log n)B. n*log(n)The Worst case for creating a tree is	Merge sort method worst case isC. O (1)A. $n*log(n)$ B.O( log n)C. O (1)Binary Tree method worst case isA. O( log n)B. $n*log(n)$ C. O (1)The time complexity for creating a tree isA. O( log n)B. $n*log(n)$ C. O (log n)The Worst case for creating a tree isD. O (log n)D. O (log n)	A.o(n log n)B.o(nlogn/2)C.nlognD.log(n)Merge sort method worst case is	A.o(n log n)B.o(nlogn/2)C.nlognD.log(n)Merge sort method worst case is[A. n*log(n)B.O( log n)C. O (1)D. O (log n)Binary Tree method worst case is[A. O( log n)B. n*log(n)C. O (1)D. O (log n)The time complexity for creating a tree is[A. O( log n)B. n*log(n)C. O (log n)D. O (log n)The time complexity for creating a tree is[A. O( log n)B. n*log(n)C. O (log n)D. O (1)The Worst case for creating a tree is[

 UNIT-3

 1. Which of the following is true?
 [ ]

 A. Prim's algorithm initialises with a vertex

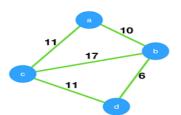
 B. Prim's algorithm initialises with a edge

 C. Prim's algorithm initialises with a vertex which has smallest edge

 D. Prim's algorithm initialises with a forest

 2. Consider the given graph.

# **R20**



What is the weight of the minimum spanning tree using the Prim's algorithm, starting from vertex a?

	u.					
	A.23	B.28	C.27	D.11		
3.	Worst case is the worst c	ase time complexity of Prim'	s algorithm if adjacency mat	trix is used?	[	]
	A. O(log V)	<b>B.</b> O(V2)	<b>C.</b> O(E2)	D. O(V log E)	_	_
4.	Prim's algorithm is a				[	]
	A. Divide and conquer al	gorithm	B. Greedy algorithm			
	C. Dynamic Programmin	•	D. Approximation algorith	hm		
5.	Prim's algorithm resemb	les Dijkstra's algorithm.			[	]
	A.True	B.False	C. A&B	D.None		
6.	Kruskal's algorithm is be	est suited for the sparse graph	s than the prim's algorithm.		[	]
	A.True	B.False	C. A&B	D.None		
7.	Consider the graph show	n below.			[	]
	15 $14$ $5$ $14$ $5$ $14$ $5$ $11$ $22$ $3$ $21$ $4$ Which of the following e from vertex 4	dges form the MST of the giv	ven graph using Prim'a algo	rithm, starting		
		<b>B</b> .) (4-3)(3-5)(5-1)(1-2)	C. (4-3)(3-5)(5-2)(1-5)	D. (4-3)(3-2)(2	2-1)(1-5	)
8.	Prim's algorithm is also l				[	
	A. Dijkstra–Scholten algorithm	B. Borůvka's algorithm	C. Floyd–Warshall algorithm	D. DJP Algori	thm	
9.	Prim's algorithm can be	efficiently implemented using	g for graphs with grea	ter density.	[	]
	A. d-ary heap	B. linear search	C. fibonacci heap	D. binary sear	ch	
10.	Which of the following is	s false about Prim's algorithn	n?		[	]
	A. It is a greedy algorithm	n				
	B. It constructs MST by	selecting edges in increasing	order of their weights			
	C. It never accepts cycles	s in the MST				
	D. It can be implemented	l using the Fibonacci heap				
11.	Kruskal's algorithm is us	ed to			[	]
	A. Find minimum spanni	ng tree	B. find single source shor	test path		
	C. Find all pair shortest p	oath algorithm	D. traverse the graph			
12.	Kruskal's algorithm is a				[	]
	A. Divide and conquer al		B. Dynamic programming	g algorithm		
	C. Greedy algorithm		D. Approximation algorith	÷		
	Consider the given graph	l.			[	]
13.						

What is the weight of the minimum spanning tree using the Kruskal's algorithm?

			5			
	A.24	B.23	C.15	D.19	_	_
14.	What is the time complex	ity of Kruskal's algorithm?			[	]
	A.O(log V)	B.O(E log V)	C.O(E2)	$D.O(V \log E)$		
15.	Consider the following gr	aph. Using Kruskal's algorith	im, which edge will be select	ed first?	[	]
16.	A. GF Which of the following ec algorithm?	<b>B.</b> DE lges form minimum spanning	C. BE g tree on the graph using krush	D. BG kals	[	]
	A.(B-E)(G-E)(E-F)(D-F)		B.(B-E)(G-E)(E-F)(B-G)(D	9-F)		
	<b>B.</b> (B-E)(G-E)(E-F)(D-E)		D. (B-E)(G-E)(E-F)(D-F)(I	D-G)		
17.	Which of the following is	true?			[	]
	A.Prim's algorithm can al	so be used for disconnected g	graphs			
	B. Kruskal's algorithm ca	n also run on the disconnecte	d graphs			
	C. Prim's algorithm is sin	pler than Kruskal's algorithm	n			
	D. In Kruskal's sort edges	s are added to MST in decreas	sing order of their weights			
18.	Which of the following is	false about the Kruskal's alg	orithm?		[	]
	A.It is a greedy algorithm					
	•	electing edges in increasing or	rder of their weights			
	C. It can accept cycles in					
	D. It can accept cycles in				r	
19.	-	st suited for the dense graphs			[	]
	A.True	B.False	C. A&B	D.None	r	1
20.	Consider the following sta				[	]
		hight produce a non-minimal				
	•	an efficiently implemented us	0 0	cture.		
1	A.S1 is true but S2 is false		B.Both S1 and S2 are false			
	C.Both S1 and S2 are true		D.S2 is true but S1 is false		r	1
21.	The Knapsack problem is	an example of	-		[	]
	A. Greedy algorithm		B. 2D dynamic programmin	ng		
22	C. 1D dynamic programm	C C	D. Divide and conquer		r	1
22.	Ũ	ethods can be used to solve the	• •		[	]
	A. Brute force algorithm	<b>*</b>	B. Recursion			
	C. Dynamic programming		D. Brute force, Recursion a	•		~
23.		that can carry a maximum wes {70, 80, 90, 200}. What is			[	]
	A.160	B. 200	C.170	D.90		
24.	Which of the following pr	coblems is equivalent to the 0	-1 Knapsack problem?		[	]

A. You are given a bag that can carry a maximum weight of W. You are given N items which have a weight of {w1, w2, w3,...,wn} and a value of {v1, v2, v3,..., vn}. You can break the items into smaller pieces. Choose the items in such a way that you get the maximum value B. You are studying for an exam and you have to study N questions. The questions take {t1, t2, t3,...,tn} time(in hours) and carry {m1, m2, m3,..., mn} marks. You can study for a maximum of T hours. You can either study a question or leave it. Choose the questions in such a way that your score is maximized C. You are given infinite coins of denominations {v1, v2, v3,....,vn} and a sum S. You have to find the minimum number of coins required to get the sum S D. You are given a suitcase that can carry a maximum weight of 15kg. You are given 4 items which have a weight of  $\{10, 20, 15, 40\}$  and a value of  $\{1, 2, 3, 4\}$ . You can break the items into smaller pieces. Choose the items in such a way that you get the maximum value ſ 1 25. What is the time complexity of the brute force algorithm used to solve the Knapsack problem? A.O(n)B.O(n!)C.O(2n)D.O(n3)ſ 1 26. The 0-1 Knapsack problem can be solved using Greedy algorithm. C. A&B A.True **B**.False D.None 27. ſ 1 In Greedy method, Knapsack problem profits and weights are-----numbers A. Both positive B.one positive one C.both negative D.fraction numbers negative ſ 1 28. In dynamic programming an optimal sequence of decisions is obtained by A. principle of optimality B. optimal merge pattern C. shortest path D. none 29. ſ 1 The multi stage graph problem is to find-----path from s to t. A. minimum cost B. maximum cost C. both D. none ſ 1 30. If  $(P_i, W_i)$  and (Pk, Wk) are two pairs such that  $P_i \leq Pk$  and  $W_i \geq Wk$ , then delete  $(P_i, W_i)$  is B. Merging rule C. Both A. Purging rule D. None ſ 1 31. Algorithm which solves the all-pair shortest path problem is A. Dijkstra B. Floyd C. Prim's D. Warshall's ſ 1 32. TSP stands for-----A. Travelling Sales Person **B.** Tree Vertex Splitting D. Tree Search Process C. Travelling Search Process ſ 1 33. Algorithm TPS takes -----time. A. o(n) B. o(n\*n) C. o(logn) D. o(nlogn) ſ 1 34. For any job I the profit Pi is earned if the job is complete by its ------A. Dead line B. equality C. feasibility D. similarity ſ 1 35. All connected graphs of n nodes with n-1 edges are ------B. vertices A. Trees C. spanning tree D. graph In Binary search tree, all the identifiers in the right sub tree are -----than the identifier in the ſ 1 36. root node A. Lesser B. greater C. equal D. not equal ſ 1 37. \_will usually be much harder to solve than subset problems. C.knapsack problem A. swapping problems D. TSP B.permutation problems In travelling sales person problem, the number of distinct sets S of size k not including 1 and I is ſ 1 38. A.( $k^{n-2}$ ) C.n-1 D.n-2 B.n If a Binary Search tree represents n identifiers, then there will be exactly *n*- internal nodesand ----ſ 1 39. --- external nodes. A. n + 2C. n – 1 D. n-2 B. n + 1 ſ 1 40. \_\_\_\_\_is the naive method for solving traveling salesman problems. A. The brute force approach B. The branch-and-bound method C.Dynamic programming D. The nearest neighbor method

		UN	IT-4			
1.	Which of the problems ca	annot be solved by backtrack	ing method?		[	]
	A. n-queen problem		B. subset sum problem			
	C. Hamiltonian circuit pr	oblem	D. Travelling salesman pro	blem		
2.	Backtracking algorithm is	s implemented by constructin	ng a tree of choices called as?		[	]
	A.State-space tree	B.State-chart tree	C.Node tree	D.Backtrackin	ig tree	
3.	What happens when the b	oacktracking algorithm reach	es a complete solution?		[	]
	A.It backtracks to the roo	t				
	B.It continues searching f	for other possible solutions				
	C.It traverses from a diffe	erent route				
	D.Recursively traverses t	hrough the same route			-	-
4.	A node is said to be	if it has a possibili	ity of reaching a complete sol	ution	[	]
	A.Non-promising	<b>B</b> .Promising	C.Succeeding	D.Preceding	-	-
5.		-space tree for a backtracking			[	]
	A.Depth-first search	B.Breadth-first search	C.Twice around the tree	D.Nearest neig	ghbour fi	irst
6.	-	e tree represent only comple			L	]
	A.True	B.False	C. A&B	D.None	-	
7.	In general, backtracking of				. L	]
	A.Numerical problems	B.Exhaustive search	C.Combinatorial problems	D.Graph color problems	ing	
8.	Which one of the followi	ng is an application of the ba		problems	[	1
	A.Finding the shortest pa		B.Finding the efficient qua	ntity to shop	-	-
	C.Ludo		D.Crossword	nety to shop		
9.		s faster than the brute force to			[	]
	A.True	B.False	C. A&B	D.None		
10.			es is not based on backtrackin		[	]
	A.Icon	B.Prolog	C.Planner	D.Fortran		
11.	The problem of finding a called?	list of integers in a given spe	ecific range that meets certain	conditions is	[	]
	A.Subset sum problem		B.Constraint satisfaction pr	roblem		
	C.Hamiltonian circuit pro	blem	D.Travelling salesman prol	blem		
12.	Who coined the term 'bac	ektracking'?			[	]
	A.Lehmer	B.Donald	C.Ross	D.Ford		
13.			at could be computed to give	the possible	[	]
	solutions of a given probl A.Exhaustive search	B.Brute force	C De altre altre a	D Divide and		
14.			C.Backtracking hose sum is equal to a given	D.Divide and positive integer	conquer [	1
	is called as?			positive integer	L	1
15.	A.n- queen problem The problem of placing n called as?	B.Subset sum problem queens in a chessboard such	C.Knapsack problem that no two queens attack each	D.Hamiltonian ch other is	n circuit [	]
	A.n-queen problem	B.eight queens puzzle	C.four queens puzzle	D.1-queen pro	blem	
16.		there for 8 queens on 8*8 boa			[	]
	A.12	B.91	C.92	D.93		
17.	Who publish the bitwise	operation method to solve the	e eight queen puzzle?		[	]
	A.ZongyanQiu	B.Martin Richard	C.Max Bezzel	D.Frank Nauc	k	

8.	How many fundamenta	al solutions are there for the	eight queen puzzle?		[	
	A.92	B.10	C.11	D.12		
9.			ne as the part of one of the sol		[	
	A.True	B.False	C. A&B	D.None		
0.	How many fundamenta	al solutions are the for 3 que	ens on a 3*3 board?		[	
	A.1	B.12	C.3	D.0		
1.	The six queen puzzle h	as a fewer solution than the	five queen puzzle		[	
	A.True	B.False	C. A&B	D.None		
2.	Which ordered board is	s the highest enumerated boa	ard till now?		[	
	A.25*25	B.26*26	C.27*27	D.28*28		
3.	In how many direction	s do queens attack each othe	er?		[	
	A.1	B.2	C.3	D.4		
١.		at no two queens attack each		2	[	
	A.n-queen's problem	B.8-queen's problem	C.Hamiltonian circuit problem	D.Subset sum	problem	1
5.	Where is the n-queens	problem implemented	-		[	
	A.Carom	B.chess	C.ludo	D.cards		
<b>j.</b>		s can occur in an n-queens p			[	
	A.True	B.False	C. A&B	D.None		
			provide an optimal solution?		[	
•	A.1	B.2	C.3	4.D	-	
		g methods can be used to sol		4.D	r	
	A.Greedy algorithm	B.Divide and conquer	C.Iterative improvemen	t D.Backtrackin	σ	
).	• •	ptions, which one of the foll	owing is a correct option that	··	[	
	A.(3,1,4,2)	B.(2,3,1,4)	C.(4,3,2,1)	D.(4,2,3,1)		
).		lutions exist for an 8-queen			[	
	A.100	B.98	C.92	D.88		
•		lutions occur for a 10-queen		<b>D</b> .00	[	
•	A.850	B.742	C.842	D.724	-	
•			owing does not provides an op		[	
	A.(5,3,8,4,7,1,6,2)	B.(1,6,3,8,3,2,4,7)	C.(4,1,5,8,6,3,7,2)	D.(6,2,7,1,4,8,	5,3)	
3.	Hamiltonian path prob				[	
	A.NP problem	B.N class problem	C.P class problem	D.NP complete	e proble	en
	Which of the following	g problems is similar to that	of a Hamiltonian path probler	n?	Ĩ	
	A.Knapsack problem		B.Closest pair problem			
	C.Travelling salesman	problem	D.Assignment problem			
	-		g the Hamiltonian path proble	m?	[	
	Martello	Monte Carlo	Leonard	Bellman		
			n be solved using dynamic pro		[	
		· ·	C.O(N2)	D.O(N2 2N)		
•	A.O(N) In graphs, in which all fixed edge is always ev	-	the number of Hamiltonian of	( /	[	
	A.True	B.False	C. A&B	D.None		
3.			solve the Hamiltonian path pr		[	

B.2

A.1

#### [ ] 39. For a graph of degree three, in what time can a Hamiltonian path be found? C.O(0.167n) A.O(0.251n) B.O(0.401n) D.O(0.151n) 40. How many Hamiltonian paths does the following graph have? [ ] ( b d ( a e C

#### UNIT-5

C.3

1.	The worst-case efficienc	y of solving a problem in pol	ynomial time is?		[	]
	A.O(p(n))	$B.O(p(n \log n))$	C. O(p(n2))	D. O(p(m log	n))	
2.	Problems that can be sol	ved in polynomial time are k	nown as?		[	]
	a. Intractable	b. Tractable	c. Decision	d. Complete		
3.	The sum and compositio	n of two polynomials are alw	ays polynomials.		[	]
	A.True	B.False	C.A&B	D.None		
4.	is the class o algorithms?	f decision problems that can	be solved by non-deterministi	c polynomial	[	]
	A. NP	B. P	C. Hard	D. Complete		
5.		solved by any algorithm are	called?		[	]
	A. Tractable problems	B. Intractable problems	C. Undecidable problems	D. Decidable	problem	ıs
6.	The Euler's circuit probl	em can be solved in?			[	]
	A. O(N)	O( N log N)	O(log N)	O(N2)		
7.	To which class does the	Euler's circuit problem belor	ng?		[	]
	P class	NP class	Partition class	Complete class	55	_
8.	Halting problem is an ex	-			L	]
	Decidable problem	Undecidable problem	Complete problem	Tractable prol	blem	_
9.		cedure does a non-determinis			L	]
10	A.1	B.2	C.3	D.4	r	
10.	A non-deterministic algo its verification stage is p		ministic polynomial if the time	e-efficiency of	[	]
	A.True	B.False	C.A&B	D.None	-	_
11.	How many conditions ha	we to be met if an NP- comp	lete problem is polynomial re-	ducible?	L	]
	A.1	B.2	C.3	D.4	-	
12.	To which of the followin	g class does a CNF-satisfiab	ility problem belong?		L	]
	NP class	P class	NP complete	NP hard	r	
13.	• • •	aired to prove that a decision			L	]
	A.1	B.2	C.3	D.4	r	,
14.		problems is not NP complete			L	1
	Hamiltonian circuit	Bin packing	Partition problem	Halting proble	em	1
15.	The choice of polynomia Computational complexity	l class has led to the develop Time complexity	ment of an extensive theory c Problem complexity	alled Decision com	l plexity	J
16.		all decision problems that:			[	]
	A.Can be solved by poly	*				
	• • •	olved by polynomial-time al	gorithms.			
	•	algorithms that can verify p	•			
	1	2 71				

## **R20**

D.4

Co	ourse Code: 20CS0523		I	R20
	D.All of the above.			-
17.	The class NP is the set of all decision problems that:		]	]
	A. Can be solved by polynomial-time algorithms.			
	B. Can definitely not be solved by polynomial-time at	-		
	C. Have polynomial-time algorithms that can verify p	otential solutions		
10	D. All of the above	_	г	1
18.	The class NP–complete is the set of all decision probl	ems that:	[	1
	A. Can be solved by polynomial-time algorithms.			
	B. Can definitely not be solved by polynomial-time at	-		
	C. Have polynomial-time algorithms that can verify p	otential solutions		
19.	D. None of the above $Y \in Y$ . Which must be true?		[	1
19.	Suppose $X \leq_p Y$ . Which must be true? A.Problem X is polynomial-time reducible to problem	n V	L	1
	B. Problem Y is polynomial-time reducible to problem			
	C. Problems X and Y are polynomial-time equivalent			
	D. All of the above	•		
20.	Suppose $X \equiv_p Y$ . Which must be true?		[	]
	A.Problem X is polynomial-time reducible to problem	ιY		
	B. Problem Y is polynomial-time reducible to problem			
	C. Problems X and Y are polynomial-time equivalent			
	D. All of the above			
21.	Suppose $X \leq_p Y$ and $Y \leq_p Z$ . Which must be true?		[	]
	A. $Y \leq_p X$ . B. $Z \leq_p Y$ .	C. $X \leq_p Z$ .	D. All of the abov	e
22.	Suppose $X \leq_p Y$ and $Y \leq_p Z$ and $Z \leq_p X$ . Which must	be true?	]	]
	A. $Y \leq_p X$ . B. $Z \leq_p Y$ .	C. $X \leq_p Z$ .	D. All of the abov	e
23.	Which of the following statements are currently know	n to be true?	[	]
	A. $P=NP$ B. $NP\subseteq P$	C. P⊆NP.	D. All of the abov	e
24.	The most important unresolved question in computer	science is:	[	]
	A. Does $P = NP$ ?			
	B. Why does a window crash so often?		11	
	C. Why isn't C++ named ++C, since we wish to use t to C?	his language after the extra fea	tures were addec	
	D. How many years will I need to work before my tot income?	al career salary equals Bill Gat	es' hourly	
25.	The Satisfiability, Clique, Independent Set, and Hami	ltonian Cycle problems are kno	own to be: [	]
	A. Members of the class P.	B. Members of the class NP	-complete.	
	C. Both of the above.	D. None of the above.		
26.	The Minimum Spanning Tree, Sorting, and Matrix Cl be:		_	]
	A. Members of the class P.	B. Members of the class NP	-complete.	
27	C. Both of the above.	D. None of the above.	[	]
27.	The Graph Isomorphism and Prime Number problems			1
	A. Members of the class P.	B. Members of the class NP	-complete.	
28.	C. Both of the above.	D. None of the above. NB  and  Y = Y Which must	t be true? [	]
	Suppose problem X is in class P, problem Y is in class A.Problem Y is in class P.	s NP, and $X \equiv_p Y$ . which mus B.Problem Y is NP–comple		L
	C.Both of the above	D.None of the above.		
		Dirione of the above.		

29.	Suppose problem X is NP- A.Problem Y is in class P.	complete, problem Y is in	class NP, and $X \equiv_p Y$ . Which B.Problem Y is NP-completion		[	]
	C.Both of the above		D.None of the above.			
30.		lass P problem Y is in clas	as NP, and $X \leq_p Y$ . Which must	st be true?	[	]
	A.Problem Y is in class P.		B.Problem Y is NP–comple			
	C.Both of the above		D.None of the above.			
31.		complete problem Y is in	class NP, and $X \leq_p Y$ . Which	must be true?	[	]
	A.Problem Y is in class P.	complete, problem 1 is m	B.Problem Y is NP-comple			
	C.Both of the above		D.None of the above.			
32.		lass NP_problem Y is in cl	ass P, and $X \leq_p Y$ . Which must	st be true?	[	1
	A.Problem Y is in class P.		B.Problem Y is NP–comple		-	-
	C.Both of the above		D.None of the above.			
33.		lass NP_problem Y is NP-0	complete, and $X \leq_p Y$ . Which	must he true?	[	]
	A.Problem Y is in class P.		B.Problem Y is NP–completed $A = \frac{1}{2}$		-	-
	C.Both of the above		D.None of the above.			
34.		complete problem V is in	class P, and $X \leq_p Y$ . Which m	ust be true?	[	1
	A.Problem X is in class P.	complete, problem 1 is m	B.Problem Y is NP–comple		L	
	A.F roblem X is m class F. C.P = NP		D.All of the above.	ite.		
35.		ne problem X, that problem	1 X is NP-complete and also pr	oblem X is in	[	]
		ou an A+ in CS 470 regard	less of your grades on all these	quizzes.		
		-	claim your PhD in computer so	-		
	C. You would receive job of	offers to join the computer	science faculties at MIT and S	tanford.		
	D. All of the above.					
36.	Under what condition any	set A will be a subset of B	?		[	]
	A. if all elements of set B a					
	B. if all elements of set A a	-				
	C. if A contains more elem	•				
	D. if B contains more elem	ents than A				
37.	What is a subset sum probl				[	]
	A. finding a subset of a set	that has sum of elements e ce of a subset that has sum	equal to a given number of elements equal to a given n	umber and		
	C. finding the sum of elem	ents present in a set				
	D. finding the sum of all th	ne subsets of a set				
38.	Which of the following is t sum problem?	rue about the time complete	xity of the recursive solution o	f the subset	[	]
	A. It has an exponential tin	ne complexity	B. It has a linear time comp	olexity		
	C. It has a logarithmic time	- ·	D. it has a time complexity	÷		
39.		e complexity of dynamic p	rogramming solution of the su	bset sum	[	]
	A. O (n)	B. O (sum)	C. O (n2)	D. O (sum*n)		
40.	Subset sum problem is an e	example of NP-complete p	roblem.		[	]
	A.True	B.False	C.A&B	D.None		

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### BIT BANK ANSWERS

UNIT-1								
1	С	11	D	21	Α	31	С	
2	В	12	В	22	С	32	D	
3	С	13	Α	23	С	33	Α	
4	С	14	С	24	В	34	С	
5	D	15	С	25	Α	35	С	
6	В	16	Α	26	Α	36	С	
7	С	17	С	27	С	37	В	
8	Α	18	D	28	Α	38	D	
9	С	19	Α	29	С	39	Α	
10	С	20	Α	30	С	40	В	
			UN	IT-2		1		
1	С	11	С	21	Α	31	С	
2	Α	12	В	22	С	32	Α	
3	В	13	В	23	С	33	D	
4	В	14	С	24	С	34	Α	
5	В	15	В	25	D	35	С	
6	D	16	Α	26	В	36	Α	
7	В	17	В	27	С	37	Α	
8	С	18	Α	28	В	38	В	
9	С	19	В	29	С	39	D	
10	В	20	D	30	С	40	В	
			UN	IT-3				
1	Α	11	Α	21	В	31	В	
2	С	12	С	22	D	32	Α	
3	В	13	D	23	Α	33	В	
4	В	14	В	24	В	34	Α	
5	Α	15	С	25	С	35	Α	
6	Α	16	Α	26	В	36	В	
7	D	17	В	27	Α	37	В	
8	D	18	С	28	Α	38	С	
9	Α	19	В	29	Α	39	В	
10	В	20	D	30	Α	40	Α	

1	D	11	В	21	Α	31	D
2	Α	12	А	22	С	32	В
3	В	13	С	23	С	33	D
4	В	14	В	24	Α	34	С
5	Α	15	Α	25	В	35	Α

6	В	16	С	26	В	36	D
7	С	17	Α	27	В	37	Α
8	D	18	D	28	D	38	В
9	Α	19	В	29	В	39	Α
10	D	20	D	30	С	40	Α

UNIT-5								
1	Α	11	В	21	С	31	В	
2	В	12	С	22	D	32	Α	
3	Α	13	В	23	С	33	D	
4	Α	14	D	24	Α	34	D	
5	В	15	Α	25	В	35	D	
6	D	16	Α	26	Α	36	В	
7	Α	17	С	27	D	37	В	
8	В	18	D	28	Α	38	Α	
9	В	19	Α	29	В	39	D	
10	Α	20	D	30	D	40	Α	